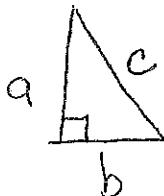


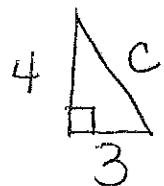
Trigonometry Review

Pythagorean Theorem:

$$a^2 + b^2 = c^2$$



① To find side c



$$a^2 + b^2 = c^2$$

$$4^2 + 3^2 = c^2$$

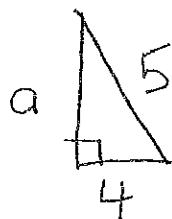
$$16 + 9 = c^2$$

$$25 = c^2 \quad * \text{square root}$$

$$\sqrt{25} = \sqrt{c^2} \quad \underline{\text{both sides}}$$

$$5 = c$$

② To find a or b:



$$a^2 + b^2 = c^2$$

$$a^2 + 4^2 = 25$$

$$a^2 + 16 = 25$$

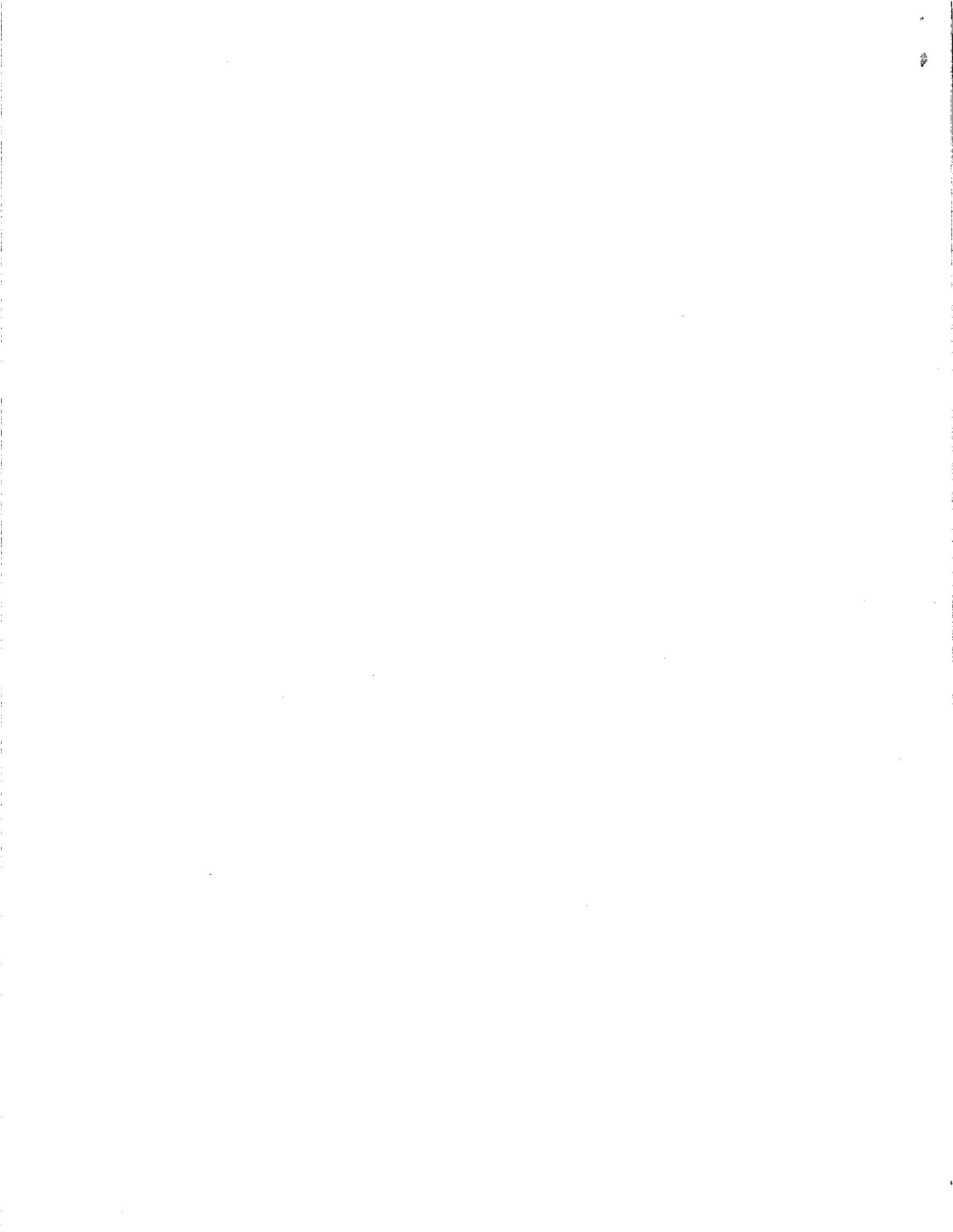
$$-16 \quad -16$$

* subtract

$$a^2 = 9 \quad * \text{square root both sides.}$$

$$\sqrt{a^2} = \sqrt{9}$$

$$a = 3$$

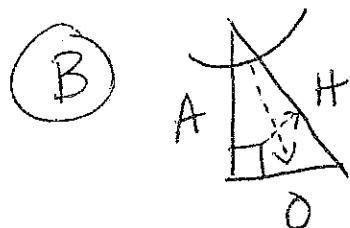
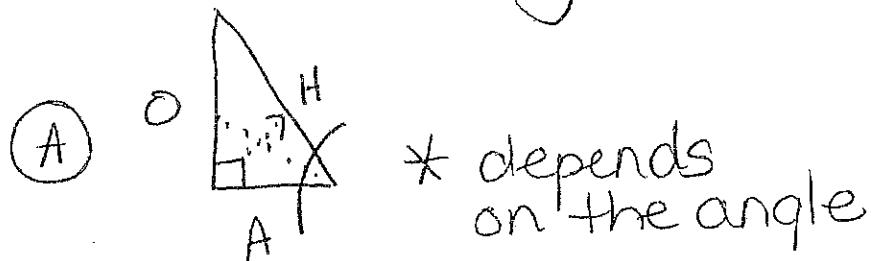


SOH CAH TOA

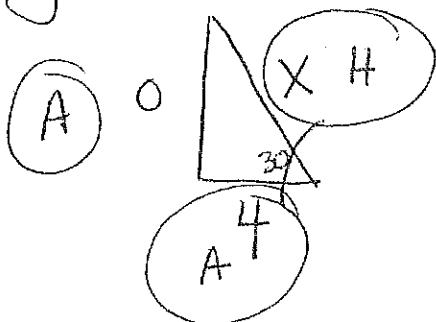
$$\sin \theta = \frac{O}{H} \quad \cos \theta = \frac{A}{H} \quad \tan \theta = \frac{O}{A}$$

* make
sure your
calculator
has DEG
on the screen

① Label the triangle with
 $O = \text{opposite}$
 $H = \text{hypotenuse}$
 $A = \text{adjacent}$



② circle what you need & what
you have.



* choose formula
from above
have A & H so use cos.
 $\cos \theta = \frac{A}{H}$

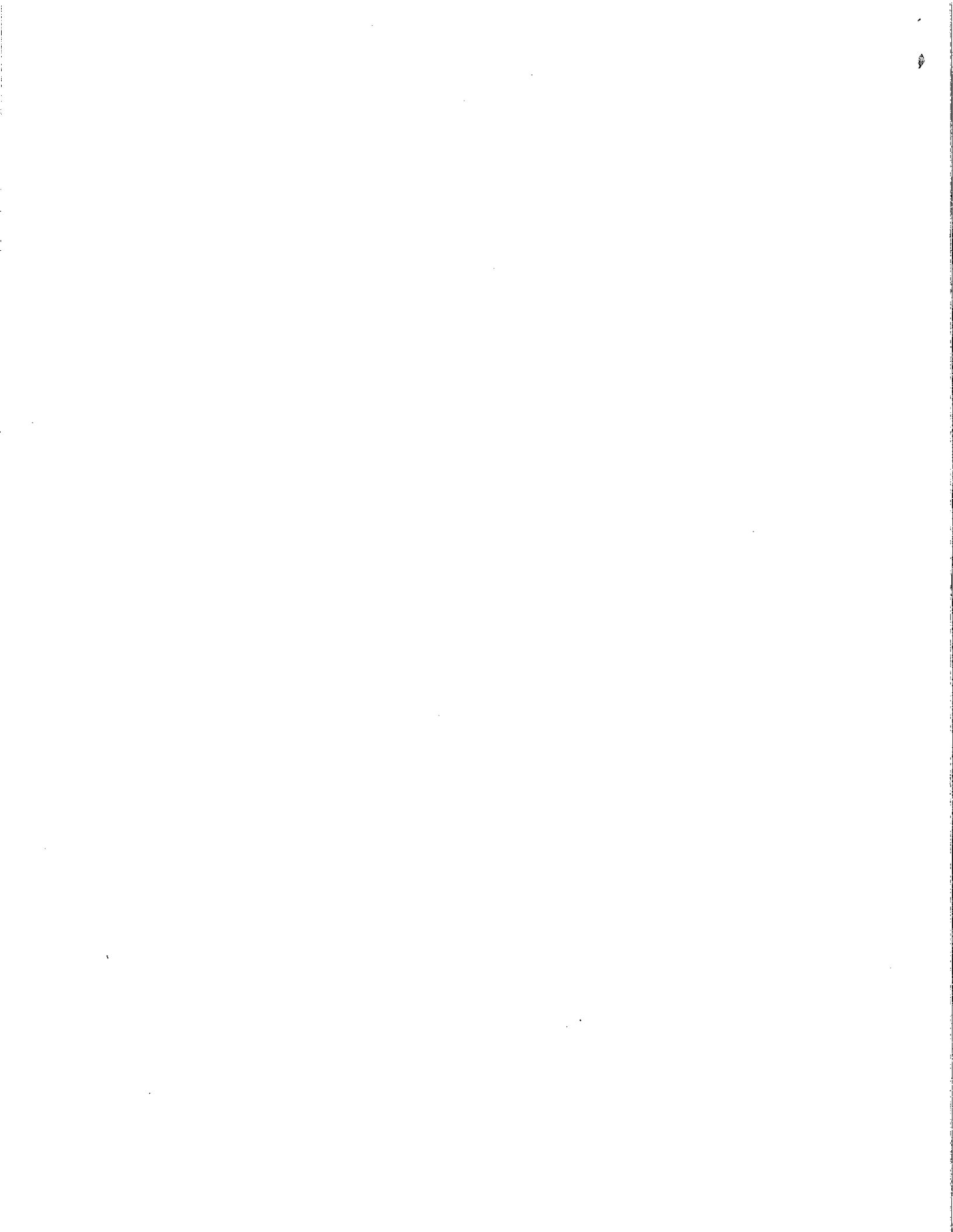
$$\cos 30 = \frac{4}{X}$$

* switch
 $\cos 30 \leftrightarrow X$

$$X = \frac{4}{\cos 30}$$

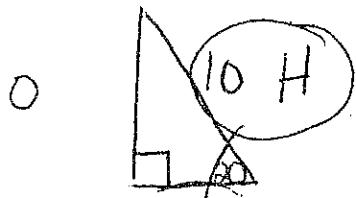
$$\cos 30 = \frac{4}{X}$$

* use calculator



SOH CAH TOA

2B Circle what you need + want



* choose formula
from above.

$$\sin \theta = \frac{x}{H}$$

$$\sin 20^\circ = \frac{x}{10} \quad * \text{mult both sides by } 10$$

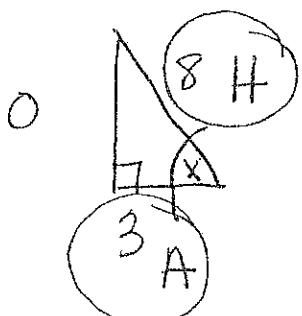
$$\sin 20^\circ \times 10 = \frac{x}{10} \times 10$$

$$(\sin 20^\circ) \times 10 = x$$

use calculator

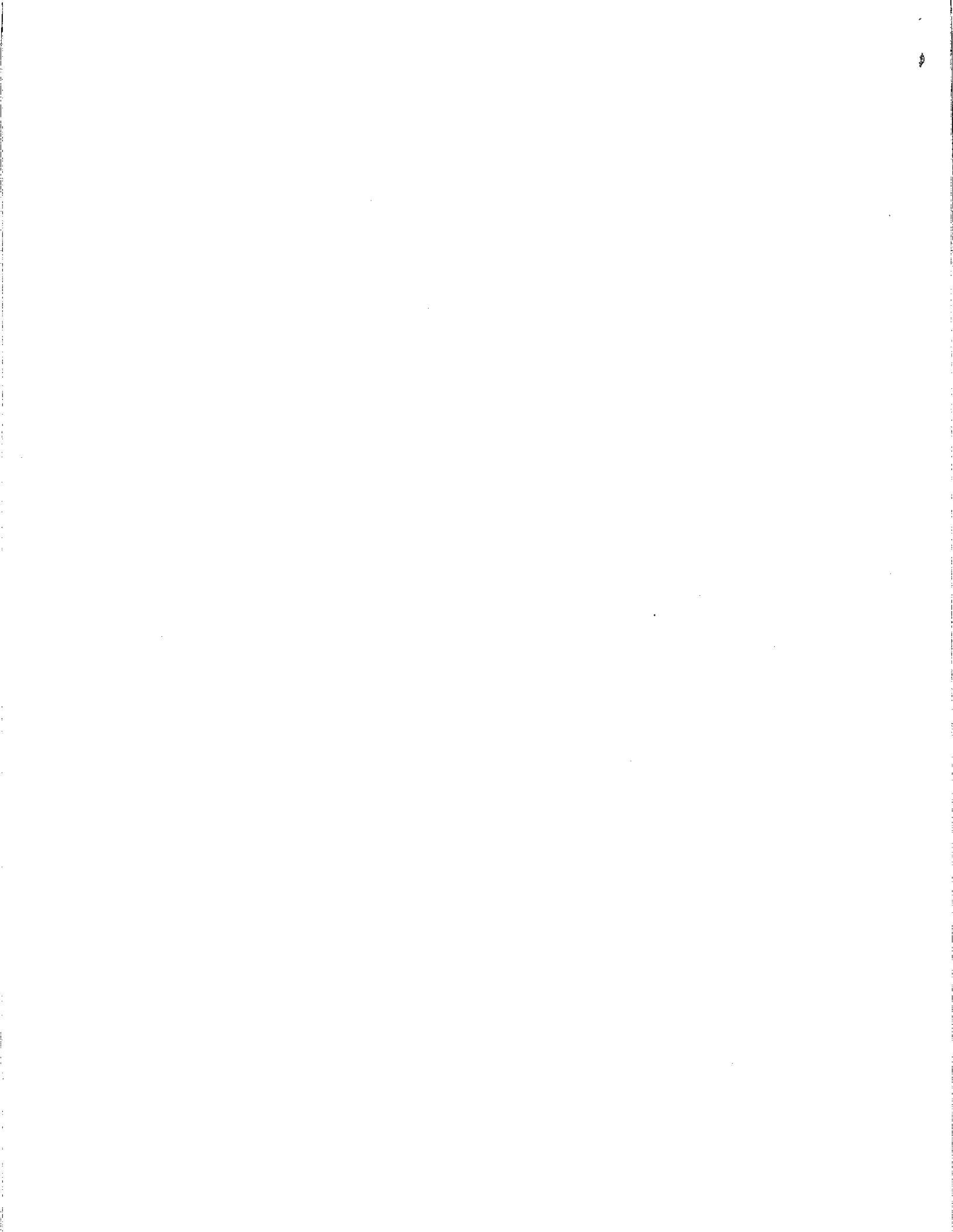
2C To find the angle:

- ① label the sides
- ② circle what you have
- ③ choose the formula



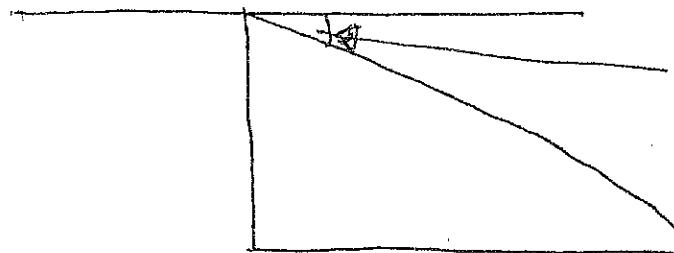
$$\cos \theta = \frac{A}{H}$$

$\cos \theta = \frac{3}{8} \leftarrow$ divide using calculator & keep on the screen
then press 2ndF (or shift) cos
this is the angle



③ angle of depression

↓ down



this is the angle of depression

* always down from horizontal line.

* note

so

angle of depression

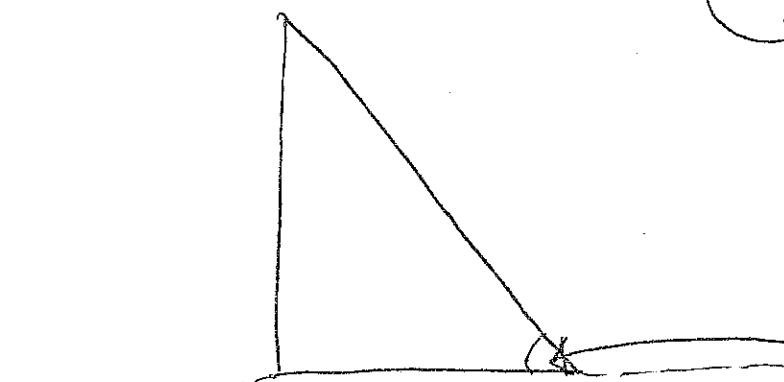
$\Rightarrow 90^\circ -$

angle of depression

= this angle

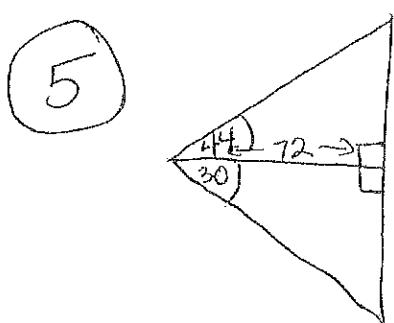
④ angle of elevation

↑ up



this is the angle of elevation going up from a horizontal line

⑤

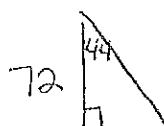


2 triangles

→ break out

into

2 separate triangles



solve just like Q #2