

# Math 8

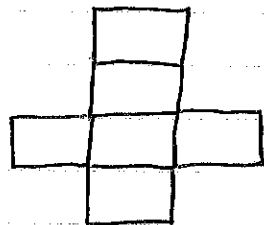
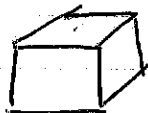
## Chapter 4 notes

### 4.1 Exploring Nets

#### → 4.3 Surface Area

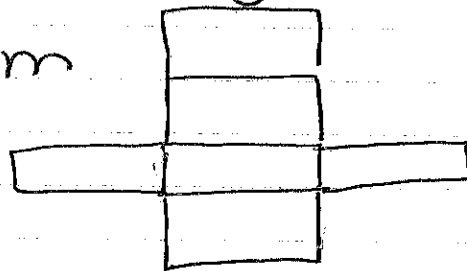
A net is the broken down pieces of a 3-D object.

ex from a cube

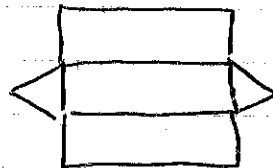


\* just pretend you could use scissors to cut it apart & lay it down flat.

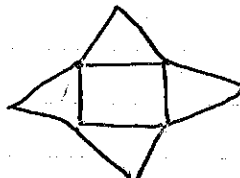
rectangular prism



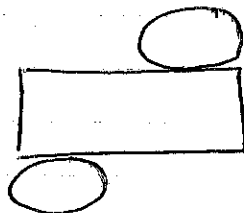
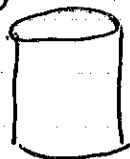
triangular prism



pyramid (square base)



cylinder



A net is helpful because we can take a 3-D object & break it up into parts to find the total area

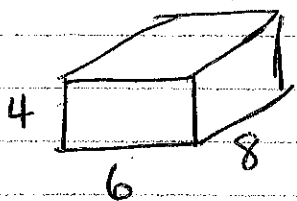
\* Remember

Area:  $\square = l \times w$

$\triangle = \frac{b \times h}{2}$

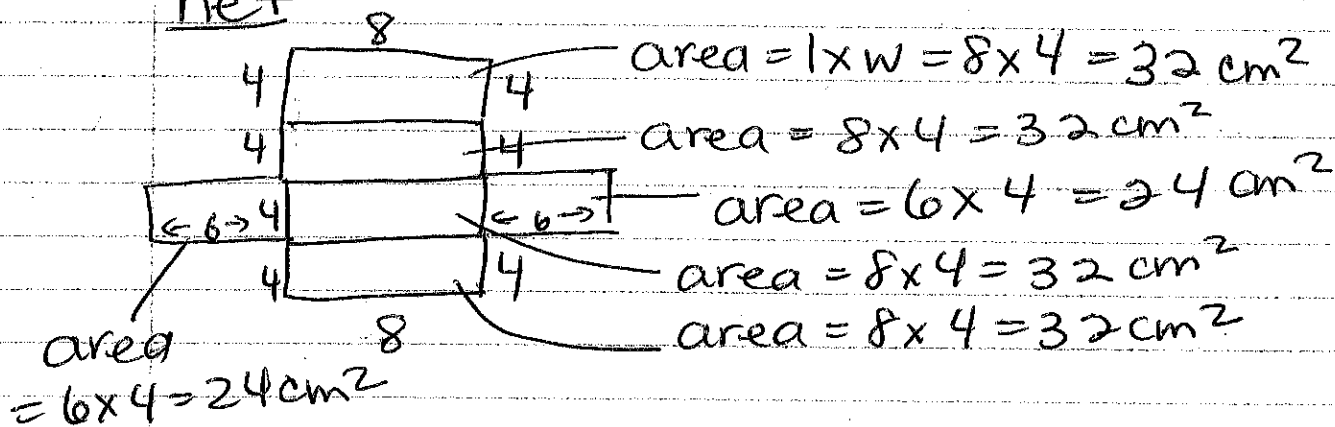
$\bigcirc = \pi r^2$

So if we have a 3-D shape:



$\Rightarrow$  we can find the total surface area by drawing the net & adding all areas

net

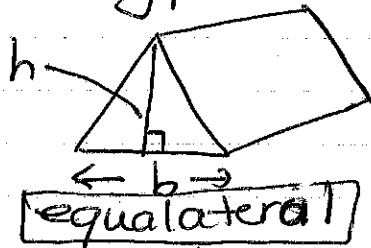


Now add all areas:

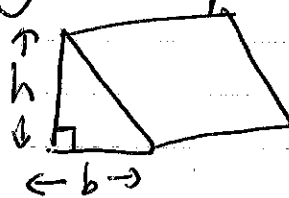
$32 + 32 + 24 + 32 + 32 + 24 = 176 \text{ cm}^2$

# 4.4 Surface Area of a Right Triangular Prism

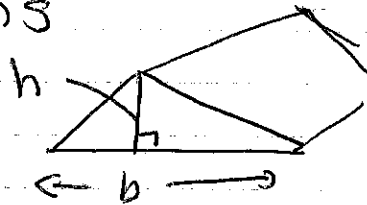
2 types of triangular prisms



← b →  
equalateral



← b →  
right angle

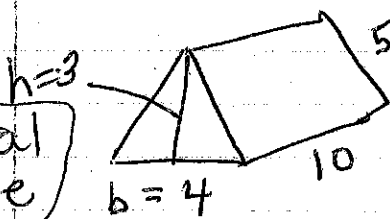


← b →  
Scalene

Remember:

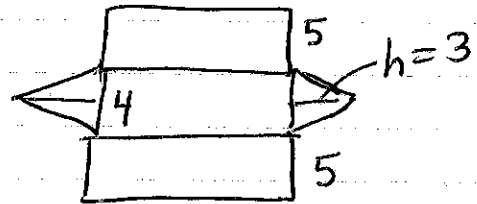
Area  $\triangle$   $\frac{b \times h}{2}$  or  $\frac{h \times b}{2} = \frac{b \times h}{2}$

Area  $\square$   $l \times w$



equalateral triangle

⇒ net



Area of triangles =  $\frac{b \times h}{2}$

=  $\frac{4 \times 3}{2} = 6$

Area of rectangles

$5 = l \times w = 5 \times 10 = 50$

$4 = 4 \times 10 = 40$

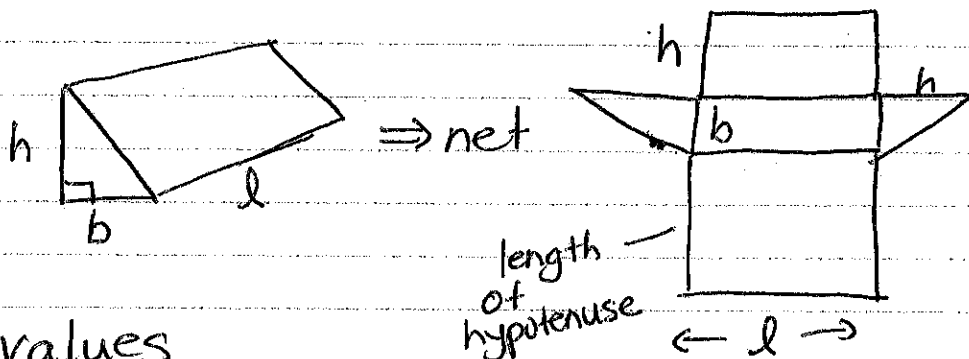
$5 = 5 \times 10 = 50$

\* there are 2 triangles  
so multiply by 2  
 $A_{\Delta} = 6 \times 2 = 12$

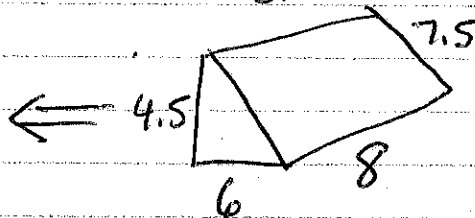
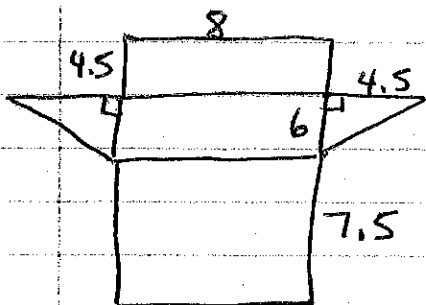
Now add them all together

$SA = 50 + 40 + 50 + 12 = 152$

right angle triangle



\* net w values

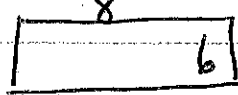


$$\text{Area}_{\Delta} = \frac{b \times h}{2} = \frac{6 \times 4.5}{2} = 13.5$$

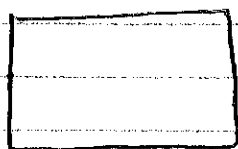
\* 2 triangles  $13.5 \times 2 = 27$



Area =  $l \times w = 8 \times 4.5 = 36$



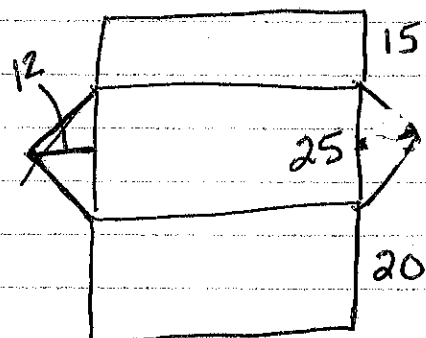
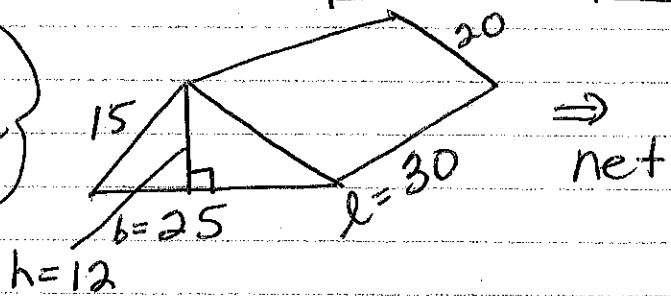
$A = 8 \times 6 = 48$



$A = 8 \times 7.5 = 60$

Add together = 171

Scalene triangle



Area 2 triangles =  $\frac{b \times h}{2} = \frac{25 \times 12}{2} = 150$

2 triangles  $150 \times 2 = 300$

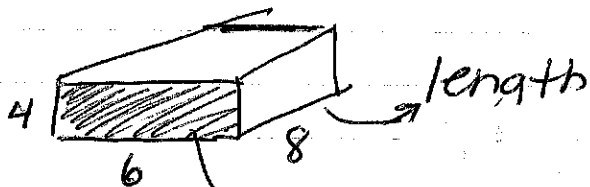
Add all rectangle areas = 2100

|                    |    |       |
|--------------------|----|-------|
| $A = 30 \times 15$ | 15 | = 450 |
| $A = 30 \times 25$ |    | = 750 |
| $A = 30 \times 20$ |    | = 600 |

### 4.5 Volume

\* Same for every regular, right angled shape.

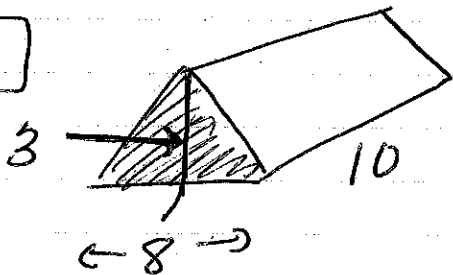
Area shape x how long it is (length)



A shape =  $4 \times 6 = 24$   
then x by depth (8)

$$V = 4 \times 6 \times 8 = 192$$

### 4.6

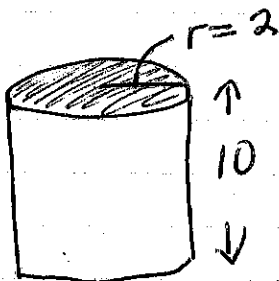


Shape =  $\Delta$

$$A = \frac{b \times h}{2} = \frac{8 \times 3}{2} = 12$$

$$\begin{aligned} V &= \text{area shape} \times \text{length} \\ &= \frac{8 \times 3}{2} \times 10 \\ &= 120 \end{aligned}$$

### 4.8

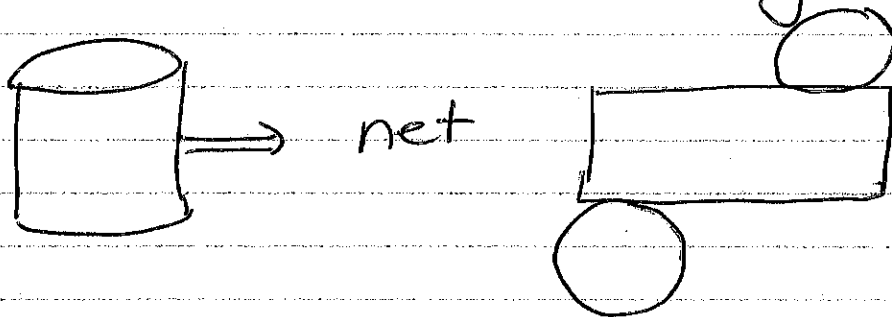


$V = \text{area shape} \times \text{length}$

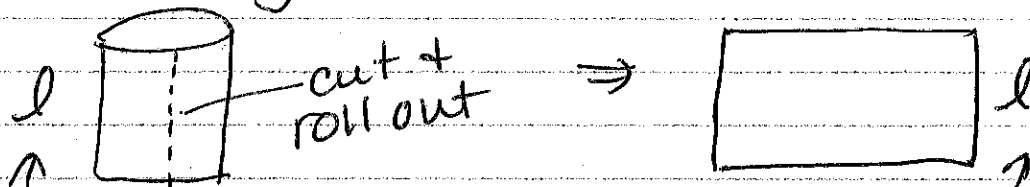
$$A_0 = \pi r^2 = \pi(2)(2) = 12.56$$

$$\begin{aligned} V &= 12.56 \times 10 \\ &= 125.6 \end{aligned}$$

# 4.7 Surface Area of a Right Cylinder

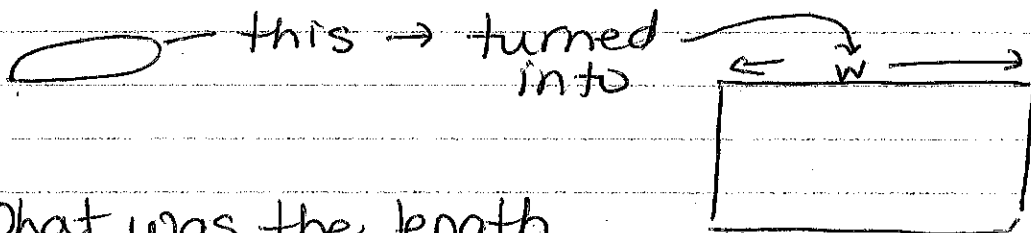


\* to understand the net; picture cutting a paper roll.

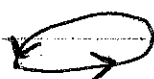


\* note the length is still the length

But what is the width?



What was the length before?

 = Circumference  
 =  $2\pi r$

So the width is the circumference

$r = 3$   
 $h = 6$   
 $\Rightarrow$  net

$A = l \times w$   
 $6 = 6 \times 2\pi(3)$   
 $= 18.84$

$A_0 = \pi r^2 = \pi(3)(3) = 28.26$   
 2 circles =  $28.26 \times 2 = 56.52$

$\text{Total SA} = 56.52 + 18.84$   
 $\text{SA} = 75.36$